Financial Derivatives Toolbox Release Notes

The "Financial Derivatives Toolbox 4.0 Release Notes" on page 1-1 describe the changes introduced in the latest version of the Financial Derivatives Toolbox.

If you are upgrading from an earlier version, you should also see

- "Financial Derivatives Toolbox 3.0 Release Notes" on page 2-1
- "Financial Derivatives Toolbox 2.0 Release Notes" on page 3-1.
- "Financial Derivatives Toolbox 1.0 Release Notes" on page 4-1.

Printing the Release Notes

If you would like to print the Release Notes, you can link to a PDF version.

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New Features

This section summarizes the new features and enhancements introduced in the Financial Derivatives Toolbox Version 3.0. These enhancements are:

- Support for Black-Karasinski (BK) and Hull-White (HW) interest rate models
- Support for recombining trinomial trees, used in conjunction with the BK and HW models.
- Enhancement to treeviewer function

New Interest Rate Models

The two new interest rate models that have been introduced with Version 4 are:

• Hull-White (HW) model

The Hull-White model incorporates the initial term structure of interest rates and the volatility term structure to build a trinomial recombining tree of short rates. The resulting tree is used to value interest rate dependent securities. The implementation of the HW model in the Financial Derivatives Toolbox is limited to one factor.

Black-Karasinski (BK) model
 The BK model is a single-factor, log-normal version of the Hull-White model.

Hull-White and Black-Karasinski Functions

The following tables summarized the Black-Karasinski and Hull-White functions by their category of usage.

Price and Sensitivity from Black-Karasinski Trees

bkprice Instrument prices from Black-Karasinski tree

bksens Instrument prices and sensitivities from

Black-Karasinski tree

bktree Specify time structure for Black-Karasinski tree

Construct Black-Karasinski interest-rate tree

bkvolspec Specify Black-Karasinski interest-rate volatility process

Price and Sensitivity from Hull-White Trees

hwprice Instrument prices from Hull-White tree

hwsens Instrument prices and sensitivities from Hull-White tree

hwtimespec Specify time structure for Hull-White tree

hwtree Construct Hull-White interest-rate tree

hwvolspec Specify Hull-White interest-rate volatility process

Black-Karasinski Utilities

bondbybk Price bond from Black-Karasinski interest-rate tree

capbybk Price cap instrument from Black-Karasinski interest-rate

tree

cfbybk Price arbitrary set of cash flows from Black-Karasinski

interest-rate tree

fixedbybk Price fixed-rate note from Black-Karasinski interest-rate

tree

floatbybk Price floating-rate note from Black-Karasinski

interest-rate tree

floorbybk Price floor instrument from Black-Karasinski

interest-rate tree

optbndbybk Price bond option from Black-Karasinski interest-rate

tree

swapbybk Price swap instrument from Black-Karasinski

interest-rate tree

Hull-White Utilities

bondbyhw Price bond from Hull-White interest-rate tree

capbyhw Price cap instrument from Hull-White interest-rate tree

cfbyhw Price arbitrary set of cash flows from Hull-White

interest-rate tree

fixedbyhw Price fixed-rate note from Hull-White interest-rate tree

floatbyhw Price floating-rate note from Hull-White interest-rate

tree

floorbyhw Price floor instrument from Hull-White interest-rate tree

optbndbyhw Price bond option from Hull-White interest-rate tree swapbyhw Price swap instrument from HJM interest-rate tree

Tree Manipulation

cytree Convert inverse discount tree to interest-rate tree

mktrintree Create recombining trinomial tree

trintreepath Extract entries from node of recombining trinomial tree

trintreeshape Retrieve shape of recombining trinomial tree

Recombining Trinomial Trees

The interest-rate or price trees supported in this toolbox can be either *binomial* (two branches per node) or *trinomial* (three branches per node). Typically, binomial trees assume that underlying interest rates or prices can only either increase or decrease at each node. Trinomial trees allow for a more complex movement of rates or prices. With trinomial trees the movement of rates or prices at each node is unrestricted (for example, up-up-up, or unchanged-down-down).

Enhancement to the treeviewer Function

The treeviewer function, which provides a graphical display of rates and prices, has been modified to display recombining trinomial trees.

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New Features

This section summarizes the new features and enhancements introduced in the Financial Derivatives Toolbox Version 3.0. These enhancements are:

- "Support for Equity Derivatives"
- "New Functions in Version 3.0"
- "Enhancement to the treeviewer Function"

Support for Equity Derivatives

Starting with Version 3.0 the Financial Derivatives Toolbox supports two types of recombining tree models to represent the evolution of stock prices: the Cox-Ross-Rubinstein (CRR) model and the Equal Probabilities (EQP) model. The CRR and EQP models are examples of discrete time models. A discrete time model divides time into discrete bits, and prices can be computed at these specific times only.

The CRR model is one of the most common methods used to model the evolution of stock processes. The strength of the CRR model lies in its simplicity. It is a good model when dealing with a large number of tree levels. The CRR model yields the correct expected value for each node of the tree and provides a good approximation for the corresponding local volatility. The approximation becomes better as the number of time steps represented in the tree is increased.

The EQP model is another discrete time model. It has the advantage of building a tree with the exact volatility in each tree node, even with small numbers of time steps. It also provides better results than CRR in some given trading environments, e.g., when stock volatility is low and interest rates are high. However, this additional precision causes increased complexity, which is reflected in the number of calculations required to build a tree.

New Functions in Version 3.0

Price and Sensitivity from Cox-Ross-Rubinstein Trees

crrprice Instrument prices from a CRR tree

crrsens Instrument prices and sensitivities by a CRR tree

crrtimespec Specify time structure for CRR tree

crrtree Construct CRR stock tree

Cox-Ross-Rubinstein Utilities

asianbycrr Price Asian option by a CRR tree
barrierbycrr Price barrier option by a CRR tree
compoundbycrr Price compound option by a CRR tree
lookbackbycrr Price lookback option by a CRR tree
optstockbycrr Price stock option by a CRR tree

Price and Sensitivity from Equal Probabilities Binomial Trees

eqpprice Instrument prices from an EQP binomial tree

eqpsens Instrument prices and sensitivities from an EQP

binomial tree

eqptimespec Specify time structure for EQP tree

eqptree Construct EQP stock tree

Equal Probabilities Tree Utilities

asianbyeqp Price Asian option by an EQP tree
barrierbyeqp Price barrier option by an EQP tree
compoundbyeqp Price compound option by an EQP tree
lookbackbyeqp Price lookback option by an EQP tree
optstockbyeqp Price stock option by an EQP tree

Instrument Portfolio Handling

instasian Construct Asian option instrument instbarrier Construct barrier option instrument instcompound Construct compound option instrument

instlookback Construct lookback instrument

instoptstock Construct stock option

Enhancement to the treeviewer Function

The treeviewer function, which provides a graphical display of rates and prices, has been modified to accept Cox-Ross-Rubenstein (CRR) and Equal Probabilites (EQP) equity trees as input.

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New Features

This section introduces the new features and enhancements added in the Financial Derivatives Toolbox 2.0 since Version 1.0 (Release 12.1).

Note The Financial Derivatives Toolbox 2.0 was initially released in Web-downloadable form after Release 12.1 was released, but before Release 13. There are no changes between the post-Release 12.1 version of the Financial Derivatives Toolbox 2.0 and the version shipped with Release 13.

Black-Derman-Toy Model

Version 2.0 of the Financial Derivatives Toolbox adds support for the Black-Derman-Toy (BDT) model for pricing interest rate derivatives. In the BDT model all security prices and rates depend upon the short rate (annualized one-period interest rate). The model uses long rates and their volatilities to construct a tree of possible future short rates. It then determines the value of interest rate sensitive securities from this tree.

The Black-Derman-Toy model works with a recombining tree. A recombining tree is the opposite of a bushy tree (used with the Heath-Jarrow-Morton (HJM) introduced in Version 1). A recombining tree has branches that recombine over time. From any given node, the node reached by taking the path up-down is the same node reached by taking the path down-up.

New Functions in Version 2.0

The following set of functions has been added to the toolbox to support operations with the BDT model. These functions are the counterparts of the HJM functions from Version 1.

Fixed Income Pricing and Sensitivity from Black-Derman-Toy Tree

Function	Purpose
bdtprice	Fixed income instrument prices by BDT interest-rate tree
bdtsens	Fixed income instrument prices and sensitivities by BDT interest-rate tree
bdttimespec	Specify time structure for BDT interest-rate tree
bdttree	Construct BDT interest-rate tree
bdtvolspec	BDT volatility process specification

Black-Derman-Toy Utilities

Function	Purpose
bondbybdt	Price bond by BDT interest-rate tree
capbybdt	Price cap by BDT interest-rate tree
cfbybdt	Price arbitrary set of cash flows by BDT interest rate tree
fixedbybdt	Price fixed rate note by BDT interest-rate tree
floatbybdt	Price floating rate note by BDT interest-rate tree
floorbybdt	Price floor instrument by BDT interest-rate tree
mmktbybdt	Create money market tree from BDT
optbndbybdt	Price bond option by BDT interest-rate tree
swapbybdt	Price swap instrument by BDT interest-rate tree

Black-Derman-Toy Recombining Tree Manipulation

Function	Purpose
mktree	Create recombining tree
treepath	Extract entries from node of recombining tree
treeshape	Retrieve shape of recombining tree

Financial Derivatives Toolbox 1.0 Release Notes

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Introduction to the Financial Derivatives Toolbox

The Financial Derivatives Toolbox extends the Financial Toolbox in the areas of fixed income derivatives and of securities contingent upon interest rates. The toolbox provides components for analyzing individual financial derivative instruments and portfolios composed of them. Specifically, it provides the necessary functions for calculating prices and sensitivities, for hedging, and for visualizing results.

Interest Rate Models

The Financial Derivatives Toolbox computes pricing and sensitivities of interest rate contingent claims based upon sets of zero coupon bonds or the Heath-Jarrow-Morton (HJM) evolution model of the interest rate term structure.

Hedging

The Financial Derivatives Toolbox also includes hedging functionality, allowing the rebalancing of portfolios to reach target costs or target sensitivities, which may be set to zero for the case of a neutral-sensitivity portfolio. Optionally, the rebalancing process can be self-financing or directed by a set of user-supplied constraints.

Financial Instruments

The toolbox provides a set of functions that perform computations upon portfolios containing up to seven types of financial instruments.

Bond. A long-term debt security with preset interest rate and maturity, by which the principal and interests must be paid.

Bond Options. Puts and calls on portfolios of bonds.

Fixed Rate Note. A long-term debt security with preset interest rate and maturity, by which the interests must be paid. The principal may or may not be paid at maturity. In this version of the Financial Derivatives Toolbox, the principal is always paid at maturity.